

AUNT LIEFY

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Aunt Liefy by Annie Trumbull Slosson

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ANNIE TRUMBULL SLOSSON

AUNT LIEFY



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BY

ANNIE TRUMBULL SLOSSON

Author of "Fishin' Jimmy," etc.

With Illustrations

By G. F-RANDOLPH

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ILLUSTRATIONS.

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the \mathbb{R}^n is the n -dimensional volume element $dx_1 \wedge \dots \wedge dx_n$.

Let \mathcal{V} be a volume in \mathbb{R}^n . Then the volume of \mathcal{V} is given by the integral

$$V(\mathcal{V}) = \int_{\mathcal{V}} dx_1 \wedge \dots \wedge dx_n.$$

Let \mathcal{V} be a volume in \mathbb{R}^n and let \mathcal{V}' be a volume in \mathbb{R}^n . Then the volume of \mathcal{V}' is given by the integral

$$V(\mathcal{V}') = \int_{\mathcal{V}'} dx_1 \wedge \dots \wedge dx_n.$$

Let \mathcal{V} be a volume in \mathbb{R}^n and let \mathcal{V}'' be a volume in \mathbb{R}^n . Then the volume of \mathcal{V}'' is given by the integral

$$V(\mathcal{V}'') = \int_{\mathcal{V}''} dx_1 \wedge \dots \wedge dx_n.$$

Let \mathcal{V} be a volume in \mathbb{R}^n and let \mathcal{V}''' be a volume in \mathbb{R}^n . Then the volume of \mathcal{V}''' is given by the integral

$$V(\mathcal{V}''') = \int_{\mathcal{V}'''} dx_1 \wedge \dots \wedge dx_n.$$

Let \mathcal{V} be a volume in \mathbb{R}^n and let \mathcal{V}'''' be a volume in \mathbb{R}^n . Then the volume of \mathcal{V}'''' is given by the integral

$$V(\mathcal{V}''''') = \int_{\mathcal{V}'''''} dx_1 \wedge \dots \wedge dx_n.$$

Let \mathcal{V} be a volume in \mathbb{R}^n and let \mathcal{V}'''''' be a volume in \mathbb{R}^n . Then the volume of \mathcal{V}'''''' is given by the integral

$$V(\mathcal{V}''''''') = \int_{\mathcal{V}'''''''} dx_1 \wedge \dots \wedge dx_n.$$

Let \mathcal{V} be a volume in \mathbb{R}^n and let \mathcal{V}'''''''' be a volume in \mathbb{R}^n . Then the volume of \mathcal{V}'''''''' is given by the integral

$$V(\mathcal{V}''''''''') = \int_{\mathcal{V}'''''''''} dx_1 \wedge \dots \wedge dx_n.$$

Let \mathcal{V} be a volume in \mathbb{R}^n and let \mathcal{V}'''''''''' be a volume in \mathbb{R}^n . Then the volume of \mathcal{V}'''''''''' is given by the integral

$$V(\mathcal{V}''''''''''') = \int_{\mathcal{V}'''''''''''} dx_1 \wedge \dots \wedge dx_n.$$

Let \mathcal{V} be a volume in \mathbb{R}^n and let \mathcal{V}'''''''''''' be a volume in \mathbb{R}^n . Then the volume of \mathcal{V}'''''''''''' is given by the integral

$$V(\mathcal{V}''''''''''''') = \int_{\mathcal{V}'''''''''''''} dx_1 \wedge \dots \wedge dx_n.$$

Let \mathcal{V} be a volume in \mathbb{R}^n and let $\mathcal{V}''''''''''''''$ be a volume in \mathbb{R}^n . Then the volume of $\mathcal{V}''''''''''''''$ is given by the integral

$$V(\mathcal{V}''''''''''''''') = \int_{\mathcal{V}'''''''''''''''} dx_1 \wedge \dots \wedge dx_n.$$

Let \mathcal{V} be a volume in \mathbb{R}^n and let $\mathcal{V}''''''''''''''''$ be a volume in \mathbb{R}^n . Then the volume of $\mathcal{V}''''''''''''''''$ is given by the integral

$$V(\mathcal{V}''''''''''''''''') = \int_{\mathcal{V}'''''''''''''''''} dx_1 \wedge \dots \wedge dx_n.$$

Let \mathcal{V} be a volume in \mathbb{R}^n and let $\mathcal{V}''''''''''''''''''$ be a volume in \mathbb{R}^n . Then the volume of $\mathcal{V}''''''''''''''''''$ is given by the integral

$$V(\mathcal{V}''''''''''''''''''') = \int_{\mathcal{V}'''''''''''''''''''} dx_1 \wedge \dots \wedge dx_n.$$

AUNT LIEFY.

I.

I DON'T know how it come about exactly; mebbe 't was because I never rec'lected any folks of my own. Or again, p'raps 't was owin' to the people where I lived not bein' of the sociable sort. Or mebbe, likely's not, 't was all the fault of my own queer, cross-grained, hard-to-get-along-with natur'. But tennerate, there 't was, — a fact well known to me and other folks, that I was the lonesomest creatur' that ever lived. I had n't a real friend on the airth; more 'n that, I had n't scursely any acquaintances.

Folks in the village and town knew who I was, most of 'em, and I knew their names and some of their faces ; but that was about all.

You asked me for just one partic'lar part of my story, and I 'm goin' to give it to you. As for the rest, why, there 's no call for me to go into that now, and I ain't a-goin' to. How I come to be there in Hilton, without any one belongin' to me, or a soul in the whole world to set by me, or me to set by, why all that 's another story, so we 'll let it alone now. And I 'll begin just here, when I was a grown-up woman, hard featur'd and harder natur'd, not liked by anybody, and not havin', myself, a mite of int'rest in any one on this airth or outside of it. Never mind what I done for a livin' ; I got along. I had enough to eat and drink, and clo'es to wear ; and