# KEY TO THE EXERCISES IN THE ELEMENTS OF PLANE AND SPHERICAL TRIGONOMETRY

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Key to the exercises in the elements of plane and spherical trigonometry by William Rossiter

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### WILLIAM ROSSITER

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OF THE

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PLANE AND SPHERICAL

TRIGONOMETRY

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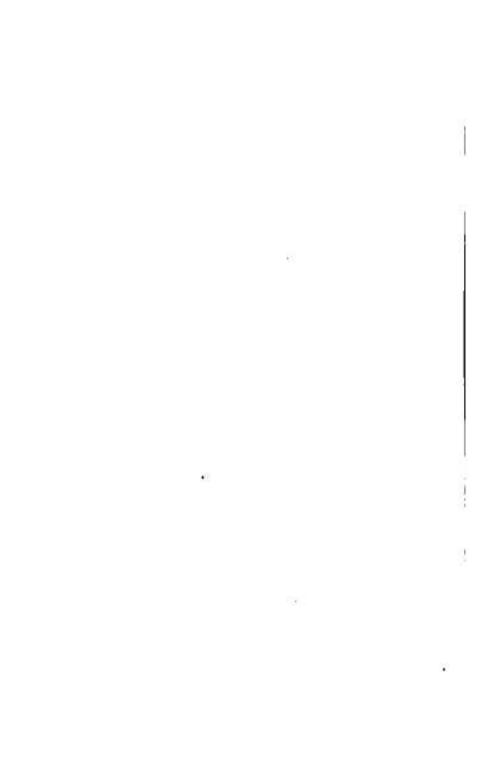
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#### KEY

TO THE

#### ELEMENTS OF TRIGONOMETRY.

#### CHAPTER II. (Page 40.)



(1.) 
$$a^3 = c^4 - b^3 = 196 - 49,$$
  
= 147;

. . a = 12·1.

Also,

 $B:C::\frac{1}{2}$ 

 $\frac{1}{9}$  = sine of  $30^{\circ}$ ; ... B =  $30^{\circ}$ . But

 $A = 180^{\circ} - 120^{\circ} = 60^{\circ}$ . And

Therefore  $A = 60^{\circ}$ ,  $B = 30^{\circ}$ , and  $C = 90^{\circ}$ .

 $a=12^{\circ}1, b=7, c=14,$ and the triangle is completely known.

In this particular example it would be seen at

B 2