

**PRACTICAL HYDRAULIC
FORMULÆ FOR THE
DISTRIBUTION OF WATER
THROUGH LONG PIPES**

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Practical Hydraulic Formulæ for the Distribution of Water Through Long Pipes by E. Sherman
Gould

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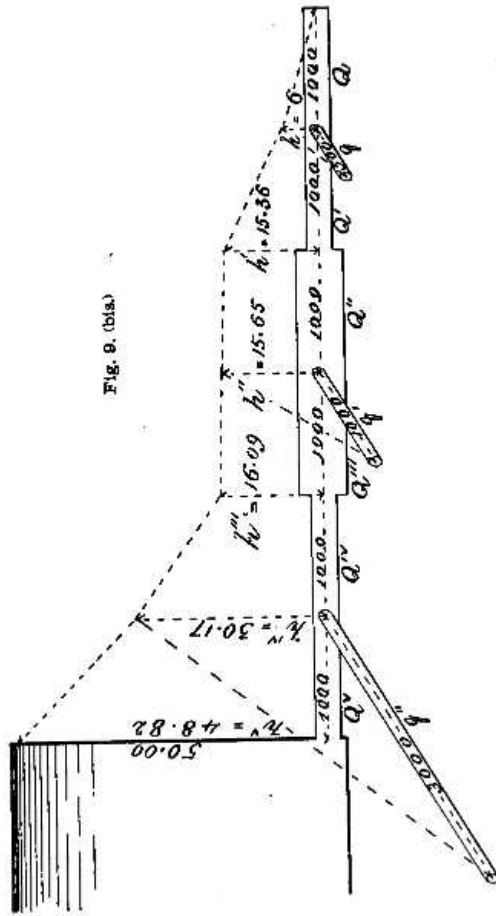
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E. SHERMAN GOULD

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Fig. 9. (bisa.)



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PRACTICAL

HYDRAULIC FORMULÆ

FOR THE

Distribution of
Water Through Long Pipes.

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NEW YORK:
ENGINEERING NEWS PUBLISHING CO.
1880.

INTRODUCTION.

to end, but consists of a series of varying grades some steeper than others though all sloping in the same direction.

As regards the third axiom, the proviso—"other things being equal"—must not be overlooked. For we shall find that a pipe of greater diameter but less hydraulic declivity than another, may give a greater velocity to the water passing through it. Also, of two pipes of the same hydraulic slope and diameter, the one having the smoother inside surface affords the greater velocity.

The vertical distance from any point in a pipe to the hydraulic grade line, constitutes the *Piezometric height*, and measures the hydraulic pressure at that point. It will be seen that the solution of problems relating to the flow of water through pipes, lies in the knowing or ascertaining of the piezometric height at any desired point. In general, it is necessary to establish the piezometric height for every point of change of any kind which occurs throughout the entire length of the conduit. The joining of the upper extremities of these heights gives the complete hydraulic grade line.

The object of the following papers is to establish systematic methods for tracing the hydraulic grade line under the different circumstances likely to occur in practice, and generally, to furnish solutions for a large number of practical problems, commencing with the simplest cases and extending to some rather intricate ones, not usually embraced in our hydraulic manuals.

E. S. O.

SCRANTON, Pa., May, 1889.

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HYDRAULIC FORMULÆ.

CHAPTER I.

Flow through a Short Horizontal Pipe—Effect on Velocity of Increased Length—Frictional Head—Hydraulic Grade Line—Hydrostatic and Hydraulic Pressures—Piezometric Tubes—Result of Raising a Pipe Line Above the Hydraulic Grade Line—Why the Water Ceases to Rise in the Upper Stories of the Houses of a Town when the Consumption is Increased—Influence of Inside Surface of Pipes upon Velocity of Flow—Darcy's Coefficients—Fundamental Equations—Length of a Pipe Line usually Determined by its Horizontal Projection—Numerical Examples of Simple and Compound Systems.

Let us suppose a reservoir of large relative area and capacity to be tapped near its bottom by a horizontal cylindrical pipe, of which the length is equal to about three times its diameter.

If there were no physical resistance to the flow, the velocity of the water issuing from the pipe would be given by the formula for the velocity of falling bodies:

$$V = \sqrt{2gH} = 8.02 \sqrt{H}$$

in which V = velocity in feet per second, g = the acceleration due to gravity = 32.2 ft., and H = the height, expressed in feet, of the surface of the water in the reservoir above the center of the pipe.

Observation shows, however, that in the case cited the velocity of discharge is equal only to that theoretically due to a height of about two-thirds of H , that is:

$$V = \sqrt{\frac{4gH}{3}} = 5.35 \sqrt{H}$$