FIRST LESSONS IN NUMBERS BY THE NATURAL METHOD

Published @ 2017 Trieste Publishing Pty Ltd

ISBN 9780649262113

First lessons in numbers by the natural method by John F. Brown

Except for use in any review, the reproduction or utilisation of this work in whole or in part in any form by any electronic, mechanical or other means, now known or hereafter invented, including xerography, photocopying and recording, or in any information storage or retrieval system, is forbidden without the permission of the publisher, Trieste Publishing Pty Ltd, PO Box 1576 Collingwood, Victoria 3066 Australia.

All rights reserved.

Edited by Trieste Publishing Pty Ltd. Cover @ 2017

This book is sold subject to the condition that it shall not, by way of trade or otherwise, be lent, re-sold, hired out, or otherwise circulated without the publisher's prior consent in any form or binding or cover other than that in which it is published and without a similar condition including this condition being imposed on the subsequent purchaser.

www.triestepublishing.com

JOHN F. BROWN

FIRST LESSONS IN NUMBERS BY THE NATURAL METHOD



FIRST LESSONS IN NUMBERS:

BY THE

NATURAL METHOD.

JOHN F. BROWN.

MASS.: PUBLISHED BY JOHN F. BROWN,

MAILED, POSTPAID, FOR 40 CENTS.

Educ T 115.92.240

Mile of Mrs. Indian ed. You

> COPYRIGHT, 1899. BY JOHN F. BROWN.

C. J. PETERS & SON

Type-Servers and Electrotypess

146 High Street, Boston

PREFACE.

This book is intended to furnish a course of study in arithmetic for young children, either at home or in school. As its title indicates, the exercises here outlined are meant to be the very first lessons in numbers that the child is to have. The plan here adopted is diametrically opposed to the so-called "inductive" method, or, more properly speaking, the object method of Pestalozzi and Colburn, which has become almost universally but not irrevocably established.

It is the fashion to teach arithmetic for a year or two without a text-book, and then to proceed by book something after this manner:—

Henry has one apple in one hand and one apple in the other hand. How many apples has he in both hands?

Sarah had two dolls and her Aunt Maria gave her one more. How many dolls did she then have?

And so on, ad nauseam, through a hundred, a hundred and fifty, or two hundred pages.

Two questions naturally occur to the uninitiated: -

First, if this be the instruction of the third and fourth years, of what nature is the more elementary sort of the first and second years? Second, if such insipid stuff be presented to the child under the guise of science, and if the subsequent teaching be what naturally follows from this beginning, what will be the condition of the pupil after he has advanced in his studies and is supposed to have become somewhat intimately acquainted with this noble science of numbers? This latter question should seem to answer itself. Actual results are what might naturally be expected: there is no adequate return for the time and attention given to arithmetic in public or private schools; proficiency in figuring is not attained.

Some of the reasons why the prevalent methods of teaching have failed have been pointed out in the Introduction to "Numbers, and How to Use Them: by the Natural Method," to which the reader is referred. The prime error of the Pestalozzians is that they put too much stress upon the meaning of individual number names. The main purpose of the science of numbers is to enable one to compute, and computation does not depend upon a comprehension of each number made use of. Indeed, with the exception of small ones, numbers cannot be adequately comprehended. And why should the child be expected to fully grasp the meaning of each number name that is presented to him, when his elders are not called upon to do so with the ones they use? It is not so much numbers, as number, that one needs to comprehend, and, as soon as this fact is appreciated, the supposed necessity for keeping the child upon very small numbers will at once disappear. Closely allied to the error just mentioned, is the notion that our idea of numbers is derived from objects, and that objects must, therefore, be employed to teach numbers; whereas, as is shown in the before-mentioned Introduction, objects merely suggest the necessity for a number scheme, the scheme is developed as a pure science, independent of objects, and is afterwards applied to objects for practical use. Any

method of teaching numbers which does not follow this natural order is unnatural and forced. And thus the end for which the inductive teachers are striving so hard, that of imparting a knowledge of individual numbers, is not only of secondary importance, but this very end is ultimately not so well attained as by following the more obvious and rational procedure.

The two kindred errors just noticed are what make the trouble. There is a violent conflict between the earlier and later methods employed with the same pupil, and, instead of the various parts of the subject being linked together into a simple and harmonious whole, there is everywhere complication, confusion, and contradiction.

The purpose of this little book and its companion is to take the initiative in establishing a new order of things which shall put the science upon a common-sense and rational basis.

"Ring out the old, ring in the new.

Ring, happy bells, across the snow;

The year is going, let him go;

Ring out the false, ring in the true."

To the children of the present generation, to those who were once children, and to the children who are to come, this attempt to illustrate the A B C of the poetry of mathematics is inscribed.

J. F. B.

MAY, 1892.

28 3%

CONTENTS.

G																		ľ	AGM Q
COUNTING							-	-					*	20	•			*	
COUNTING	TO	ONE	H	NI	RR	D I	ST	TE	NS.		٠	٠	٠	٠		•		٠	10
COUNTING	TO	ONE	H	NL	RE	D I	BY	Fr	VE8	28	7.0	*	23	*	•	S.9	*	83	10
COUNTING	то	ONE	H	NI	RR	D I	RT	Ox	R.F.			٠				•	-	8	10
FIGURES		e :	3 • 10	9:	9.5	30	*	•	•	33	25	38	20	÷	*33	•	2018	22	11
Exz	RCI	SES I	n H	ка	m	502		•3			•		•	•		٠,	Ş	·	11
Exe	RCI	8E8 1	N T	VR.	ITI	NG	03	20		u t e	ort		•	36	50	(Little	8:2		12
COUNTING	FR	м Z	нко	В	r I	Cwy	38	וע	T	нв	мк	4;	вч	F)1JB	e		*	13
COUNTING	BY	Two	6, I	iro	IN	RIN	Ç.	TI W	π	Os	E	õ	٠	9		٠		7	13
Counting	BY	Тнв	EES	, B	BG:	INN	INC) W	ITF	. (NE.	; 1	BEC	IN	NIN	rG-	wii	н	
Two	*		9		×	:	Ŕ.		á	68		æ	*			3 4	80		13
COUNTING	Fo	RWAR	D,	or	A	proj	TI	MC											14
COUNTING	BA	CKWA	RD	, 0	R S	SUP	TR	ACT	101	N		*	93				33	38	15
THE SIGNS	0 E	Abi	orti	ON	, 8	UD	TR.	ACT.	ION	, 1	ND	E	QU.	ALI	TT	4	i i		17
COUNTING	вч	Fou	RH	æ		25	**		÷	on.	90		•	+		02	×	*	17
Exercises																		¥	18
Multiplic	ATE	ом .	4	e.	æ	20	•	:00	S * 83		27	*	*:	*00		: et	S.	•	18
Division		16 18		34	390	•		6 3										٠	19
COUNTING	BY	Five	8			٠						្	Ţ			÷	1	្	20
COUNTING	BY	Tens				30	ŧ		i è		**	951	25	•	200	62 *	28	æ	20
Exercises	IN	Mul	TIP	LIC	AT.	ION		ND	Dr	V 18	101	٠.					200		21
Counting	вч	SIXB	8	*	*	•0	•	7	į.	٠	1	÷	•		ij.	٠	i.	٠	23