

**THE CAMBRIDGE COURSE OF ELEMENTARY
NATURAL PHILOSOPHY: BEING THE
PROPOSITIONS IN MECHANICS AND
HYDROSTATICS IN WHICH THOSE PERSONS
WHO ARE NOT CANDIDATES FOR HONOURS
ARE EXAMINED FOR THE DEGREE OF B.A.**

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The Cambridge course of elementary natural philosophy: being the propositions in mechanics and hydrostatics in which those persons who are not candidates for honours are examined for the degree of B.A. by J. C. Snowball & Thomas Lund

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J. C. SNOWBALL & THOMAS LUND

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IN WHICH THOSE PERSONS WHO ARE NOT CANDIDATES FOR HONOURS ARE
EXAMINED FOR THE DEGREE OF B.A.

ORIGINALLY COMPILED BY

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FIFTH EDITION, REVISED AND ENLARGED,
AND ADAPTED FOR THE MIDDLE CLASS EXAMINATIONS.

BY

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EDITOR OF WOOD'S ALGEBRA, &c.

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ADVERTISEMENT.

THE following work, originally compiled, at my suggestion, by the late Dr Snowball, has been unconditionally transferred to me by his Executors; and I have therefore not hesitated to re-write certain portions of it, and to make such alterations throughout as I conceived necessary. At the end of each chapter I have added a series of easy questions for the exercise of the Student. I have also carefully looked through *all* the papers of the University Examinations for the last ten years; and have printed a Collection of the best of the Problems, *with their Solutions*, as well as a large number of others *with Answers* only.

I am disposed to hope that the work, as it now appears, will be found suited to the wants, not only of University Students, but also of many others who require a short course of *Mechanics* and *Hydrostatics*, and especially of the Candidates at our Middle-Class Examinations.

T. L.

MORTON RECTORY, NEAR ALFRETON,

May 6, 1864.

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